



MWR Rain Rate Retrieval Algorithm

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Outline



- Objective
- Theoretical Basis
- Algorithm Approach
- Geophysical Retrieval Results
- Conclusion
- Future Work



Thesis Objective

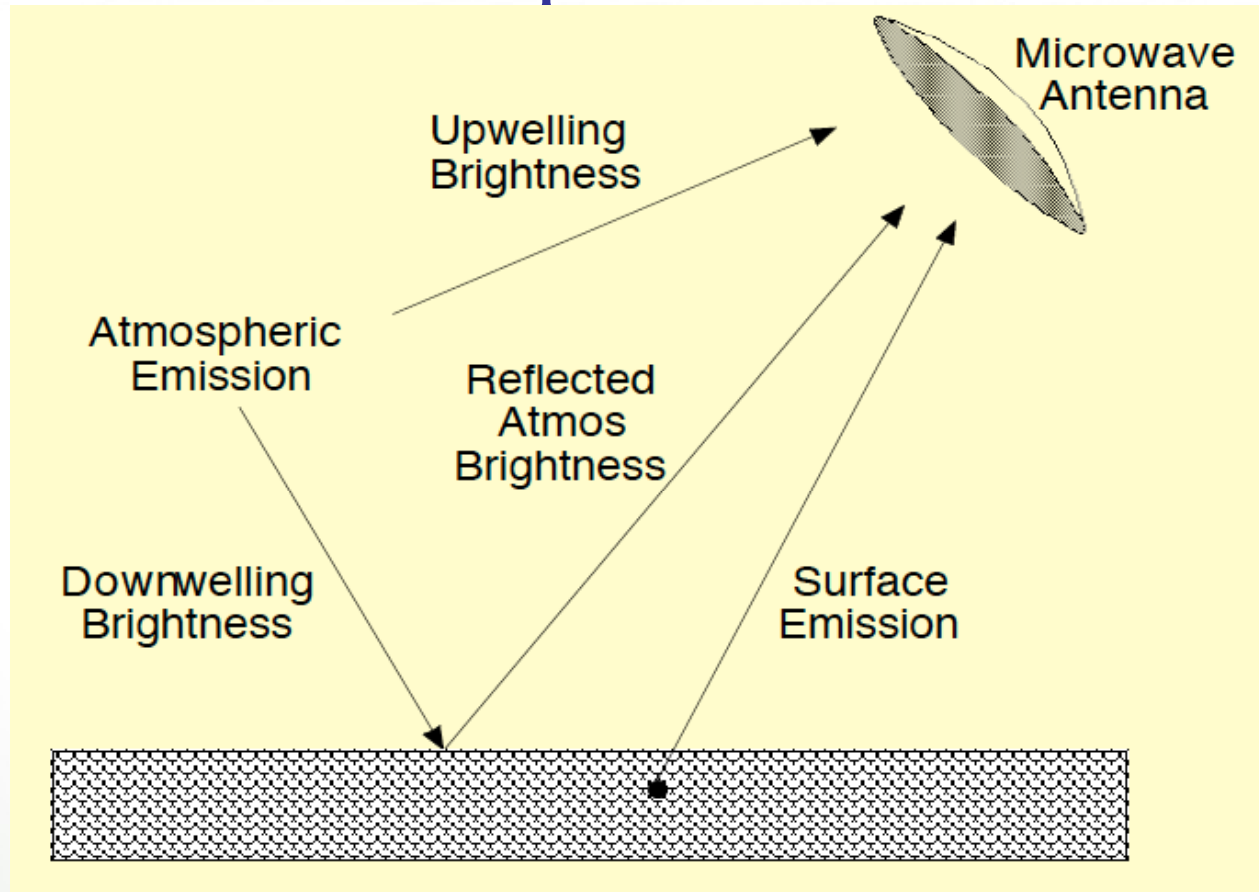


- To develop a rain retrieval algorithm for the Aquarius/SAC-D Microwave Radiometer (MWR)
 - ❖ Algorithm approach
 - Based upon both radiative transfer theory and statistical regression
 - Tuned using empirical data from WindSat
 - ❖ Algorithm validation using WindSat Environmental Data Record (EDR)
- To deliver an Algorithm Theoretical Basis Document (ATBD) to CONAE in December 2010



Algorithm Theoretical Basis

Microwave Brightness is the sum of three components



Radiometric Emissions are Non-coherent and their Powers Add



Microwave Ocean Apparent Temp (T_{ap}) (single layer atmosphere approx)



$$T_{ap} = T_{BU} + \tau_{atmos} * (T_b + T_{scat})$$

$$T_{scat} = (1 - \epsilon) * (T_{BD} + \tau_{atmos} * T_{BC})$$

$$T_{BU} = (1 - \tau_{atmos}) * T_U$$

$$T_{BD} = (1 - \tau_{atmos}) * T_D$$

T_b = ocean surface emission = $\epsilon * SST$

τ_{atmos} = Atmospheric loss (transmission coefficient)

T_{BC} = cosmic brightness = 2.7 K

$(1 - \tau_{atmos})$ = Atmospheric absorption

$(1 - \epsilon)$ = ocean Fresnel power reflection coeff

T_U & T_D = effective atmos phys temp (up/down)

Atmospheric Transmissivity



Atmos optical depth (nepers)

$$A_{atmos} = \int_0^{TQA} K \, dZ$$

$$A_{atmos} = A_O + A_V + A_L$$

Atmos transmissivity

$$\tau_{atmos} = \exp[-\sec \theta * (A_O + A_V + A_L)]$$

$$\tau_{atmos} = \tau_O * \tau_V * \tau_L$$

K = Atmospheric absorption coefficient (nepers/km)

Z = Atmos height (zenith direction)

A_{atmos} = atmospheric absorption (Optical depth)

τ_O = Transmissivity due to oxygen

τ_V = Transmissivity due to water vapor

τ_L = Transmissivity due to liquid water (cloud liquid water and rain)



WindSat Rain Rate Algorithm



Rational for using WindSat



- WindSat radiometer has **measured brightness temperatures** (T_b) to develop this algorithm
- MWR has three channels, which are a subset of WindSat
 - ❖ MWR: 24 GHz H-pol & 37 GHz H- & V-pol
 - ❖ Corresponding WindSat: 24 GHz & 37 GHz, H-pol & V-pol
- Similar incident angles
 - ❖ WindSat: 53°
 - ❖ MWR: 52° & 58°
- Also WindSat environmental data records (EDR) are available for algorithm tuning and validation



Rain Retrieval Algorithm Theoretical Basis



- The following journal papers were used:
 - ❖ Wentz, F. J. and T. Meissner. “Algorithm Theoretical Basis Document (ATBD), version 2: AMSR Ocean Algorithm.” *RSS Tech. Proposal 121599A-1. Remote Sensing Systems, Santa Rosa, CA.* (2000): 66 pp.
 - ❖ Spencer, W. Roy and Wentz, Frank J. “SSM/I Rain Retrievals within a Unified All-Weather Ocean Algorithm.” *Journal of the Atmospheric Sciences* 55:9 (1998): 1613-1627.
- The MWR 24 GHz H-pol & 37 GHz (V- & H-pol) are a subset of the AMSR radiometers channels

AMSR Tb Forward Model



- Wentz AMSR algorithm is based on the fundamental principles of radiative transfer and explicitly shows:
 - ❖ The forward geophysical model function (GMF) defines relationships between radiometer measurements
 - Tb_{24h} , Tb_{24v} , Tb_{37h} , Tb_{37v}
 - ❖ and environmental inputs
 - Surface wind speed, W
 - Columnar water vapor, V
 - Cloud liquid water, CLW
 - Columnar rain rate, R
 - Atmos phys temp, T_{atmos}
 - Sea surface temp, SST



Liquid Water Transmissivity Algorithm



- The retrieval algorithm is the inversion of the forward model

- ❖ Four equations (Tb_{24v} , Tb_{24h} , Tb_{37v} , Tb_{37h})

$$Tb_{24V} = F_{24V}(W, V, \tau_{L24}, SST)$$

$$Tb_{24H} = F_{24H}(W, V, \tau_{L24}, SST)$$

$$Tb_{37V} = F_{37V}(W, V, \tau_{L37}, SST)$$

$$Tb_{37H} = F_{37H}(W, V, \tau_{L37}, SST)$$

- where SST is known a priori and τ_L is atmospheric transmissivity due to liquid water

- The simultaneous solution yields the four unknown parameters: ($W, V, \tau_{L24}, \tau_{L37}$)

- Unfortunately, these four non-linear equations have coefficients that are themselves $f(V, SST)$
 - ❖ Therefore, the complexity of the equations made the simultaneous solutions impractical using MatLab

$$F = T_U - (\tau_V \times \tau_O \times T_U) \times \tau_L + (\tau_V \times \tau_O \times E \times SST) \times \tau_L + (\tau_V \times \tau_O \times (1 - E) \times T_D) \times \tau_L - (\tau_V^2 \times \tau_O^2 \times (1 - E) \times T_D) \times \tau_L^2 + 2.7(\tau_V^2 \times \tau_O^2 \times (1 - E) \times T_D) \times \tau_L^2$$

$$T_U = \text{function}(V, f)$$

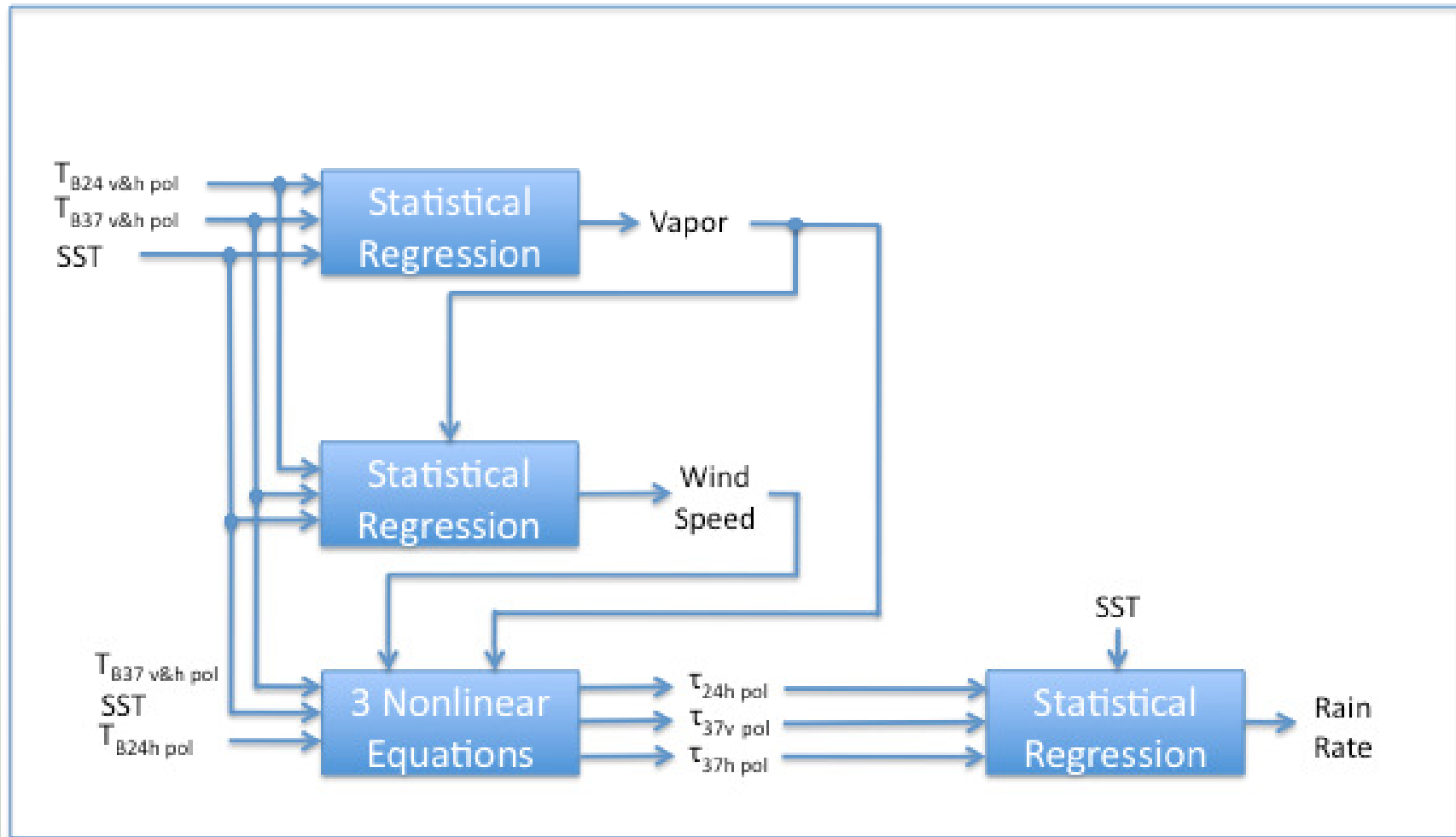
$$T_D = \text{function}(V, f)$$

$$\tau_V = \text{function}(V, f)$$

$$\tau_O = \text{function}(V, f)$$

$$E = \text{function}(W, f, \theta_i)$$

Selected Rain Retrieval Approach





Water Vapor and Wind Speed Retrieval



➤ Statistical Regression to calculate Water Vapor

❖ Dependent Variables: T_{B24h} , T_{B24v} , T_{B37h} , T_{B37v} , SST

$$V = function(T_{B24v}, T_{B24h}, T_{B37v}, T_{B37h}, SST)$$

➤ Statistical Regression to calculate Wind Speed

❖ Dependent Variables: T_{B24h} , T_{B24v} , T_{B37h} , T_{B37v} , SST, V

$$W = function(T_{B24v}, T_{B24h}, T_{B37v}, T_{B37h}, SST, V)$$

❖ When rain is present, wind speed regression produces negative values which are replaced by a priori estimate of wind speed = 6.5 m/s

Liquid Water Transmissivity Retrieval



- After solving for V & W sequentially, this yields three 2nd-order equations of a single variable:

$$T_{B24h} = a_1 + b_1 \times \tau_{L24h} + c_1 \times \tau_{L24h}^2$$

$$T_{B37v} = a_2 + b_2 \times \tau_{L37v} + c_2 \times \tau_{L37v}^2$$

$$T_{B37h} = a_3 + b_3 \times \tau_{L37h} + c_3 \times \tau_{L37h}^2$$

where the coefficients based on AMSR Tbs are

$$a_{coeff} = function(T_U, f)$$

$$b_{coeff} = function(\tau_O, \tau_V, T_D, T_U, SST, E, f)$$

$$c_{coeff} = function(\tau_O, \tau_V, T_D, T_{ex}, E, f)$$



Rain Rate Retrieval



- Statistical regression used to estimate columnar rain rate (R) as a function of
 - ❖ τ_{L24} & τ_{L37} (atmos transmissivity due to liquid water)
 - ❖ Height and temperature of rain (Wentz 1998)

$$H = \text{function}(SST)$$

$$T_L = (SST + 273)/2 \quad (\text{Kelvin})$$

- Rain statistical regression – 3rd order

$$R = \text{function}(H, T_L, \tau_{L24h}, \tau_{L37v}, \tau_{L37h})$$

Tuning WindSat Brightness Temperature



- Coefficients for liquid water transmissivity equations are based on AMSR Tb's
- Tuning is necessary to match WindSat and AMSR Tb's



Geophysical Model Function: $F_{freq}(W, V, \tau_L)$



- GMF = Model TBs from radiative transfer theory
- Using GMF's from Wentz (1997) :

$$F_{freq}(W, V, \tau_L) = T_{BU} + \tau_{atmos} \times [E \times SST + (1 - E) \times (T_{BD} + \tau_{atmos} \times T_{BC})]$$

Where

$F(W, V, t)$ = modeled AMSR Tb's

T_{BU} = Upwelling Brightness Temperature (freq dependent)

τ_{atmos} = Atmospheric transmittance (freq dependent)

E = Sea-surface emissivity (freq dependent)

SST = Sea Surface Temperature

T_{BD} = Downwelling Brightness Temperature (freq dependent)

T_{BC} = Cosmic Background Radiometric Temperature (2.7 K)



Empirical Relationships (based on AMSR)



- Atmospheric components ($\tau_{atm}, T_{BU}, T_{BD}, T_U, T_D$)

$$\tau_{atm} = function(V, SST, \tau_L, f)$$

$$T_U \approx T_D = function(V, SST, f)$$

$$T_{BU} = (1 - \tau_{atm}) * T_U = function(V, SST, f, \tau_L)$$

$$T_{BD} = (1 - \tau_{atm}) * T_D = function(V, SST, f, \tau_L)$$

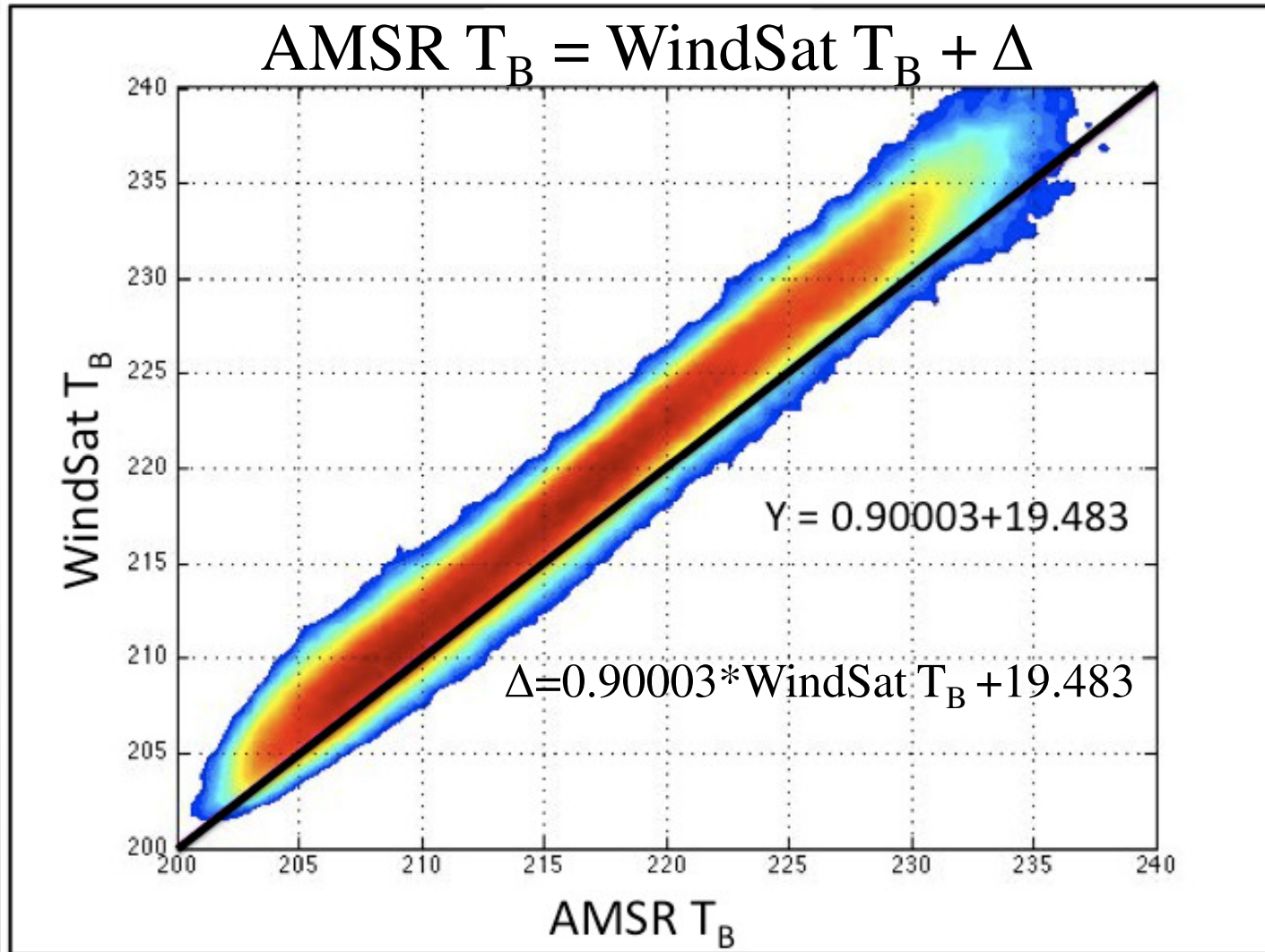
- Sea Surface components – Emissivity

$$\varepsilon = \varepsilon_0 + \Delta\varepsilon_w$$

$$\varepsilon_0 = function(SST, salinity, \theta_i, f)$$

$$\Delta\varepsilon_w = function(W, f)$$

AMSR and WindSat Tb Tuning





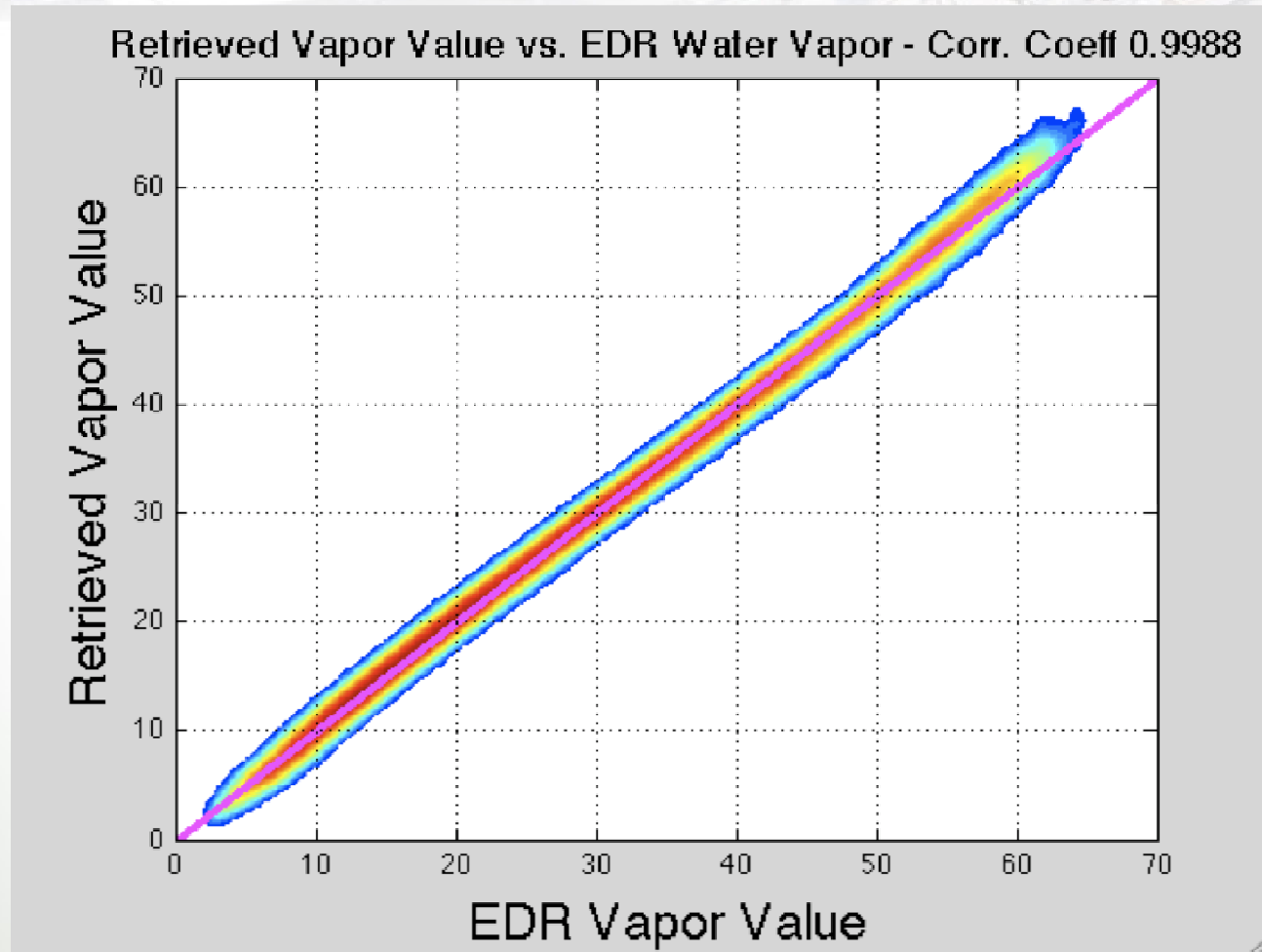
WindSat Retrieval results



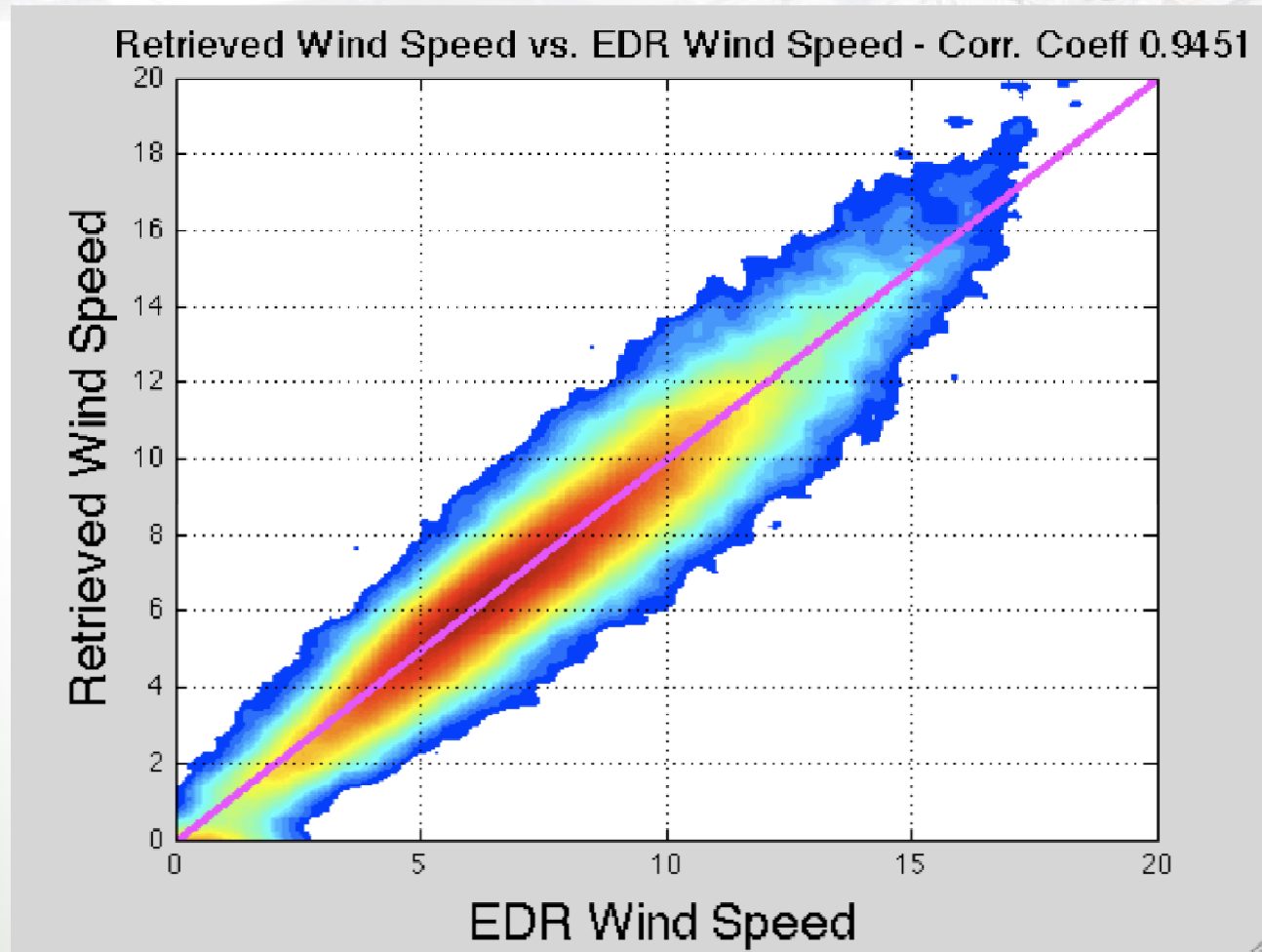
➤ EDR = WindSat Environmental data record retrievals

- ❖ Water Vapor
- ❖ Wind Speed
- ❖ Rain Rate

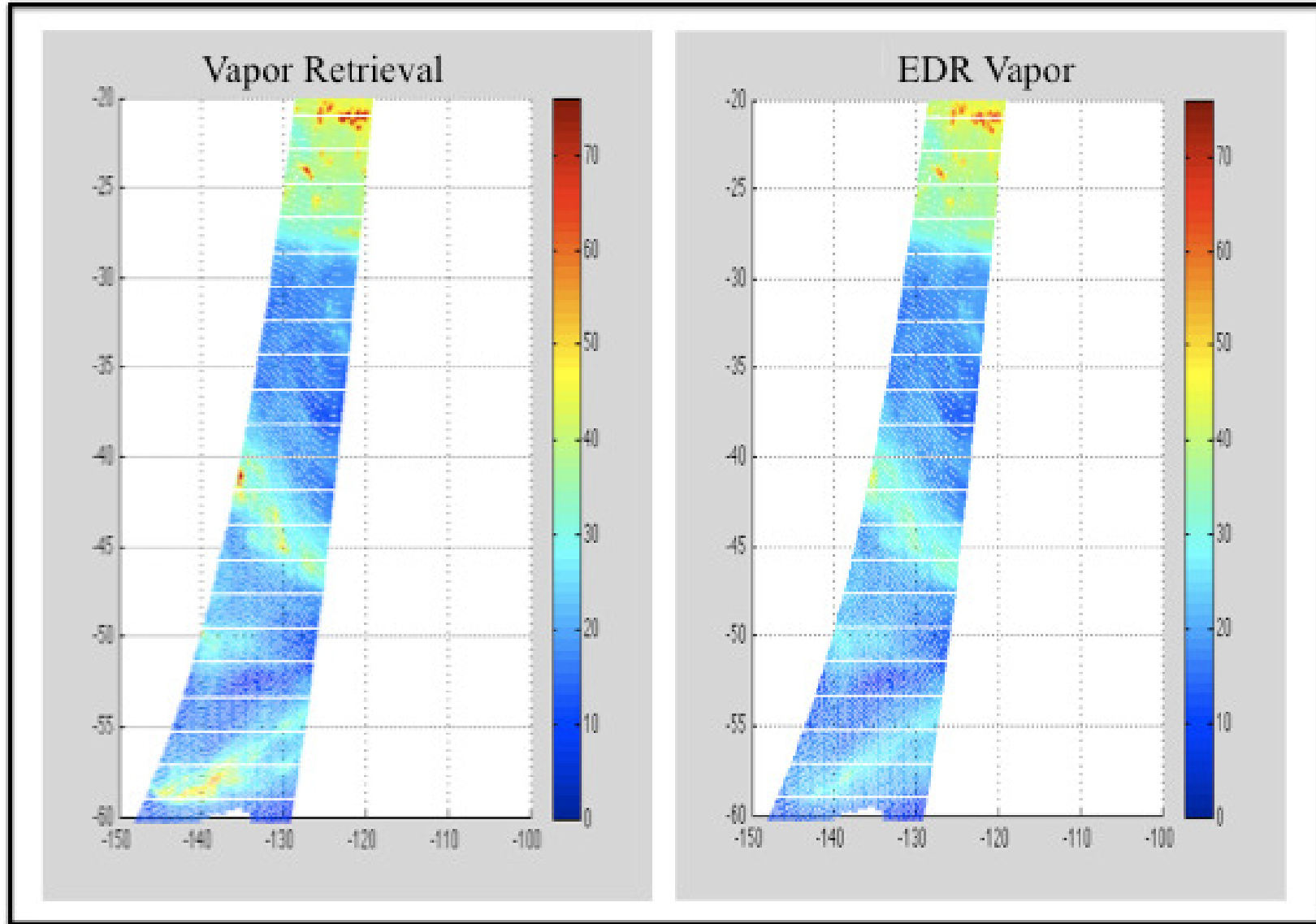
Water Vapor Retrieval (Rain-Free)



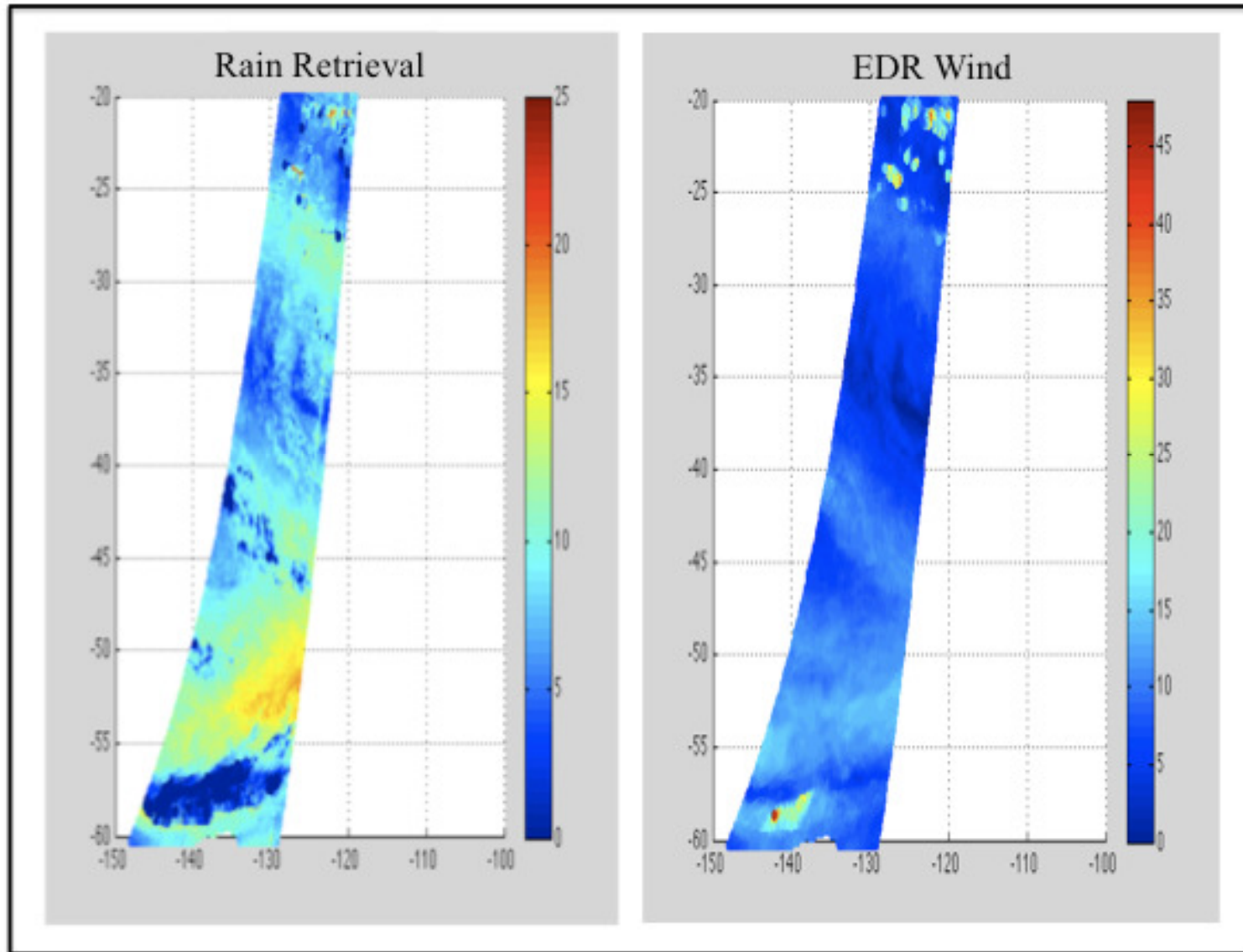
Wind Speed Regression (Rain-free)



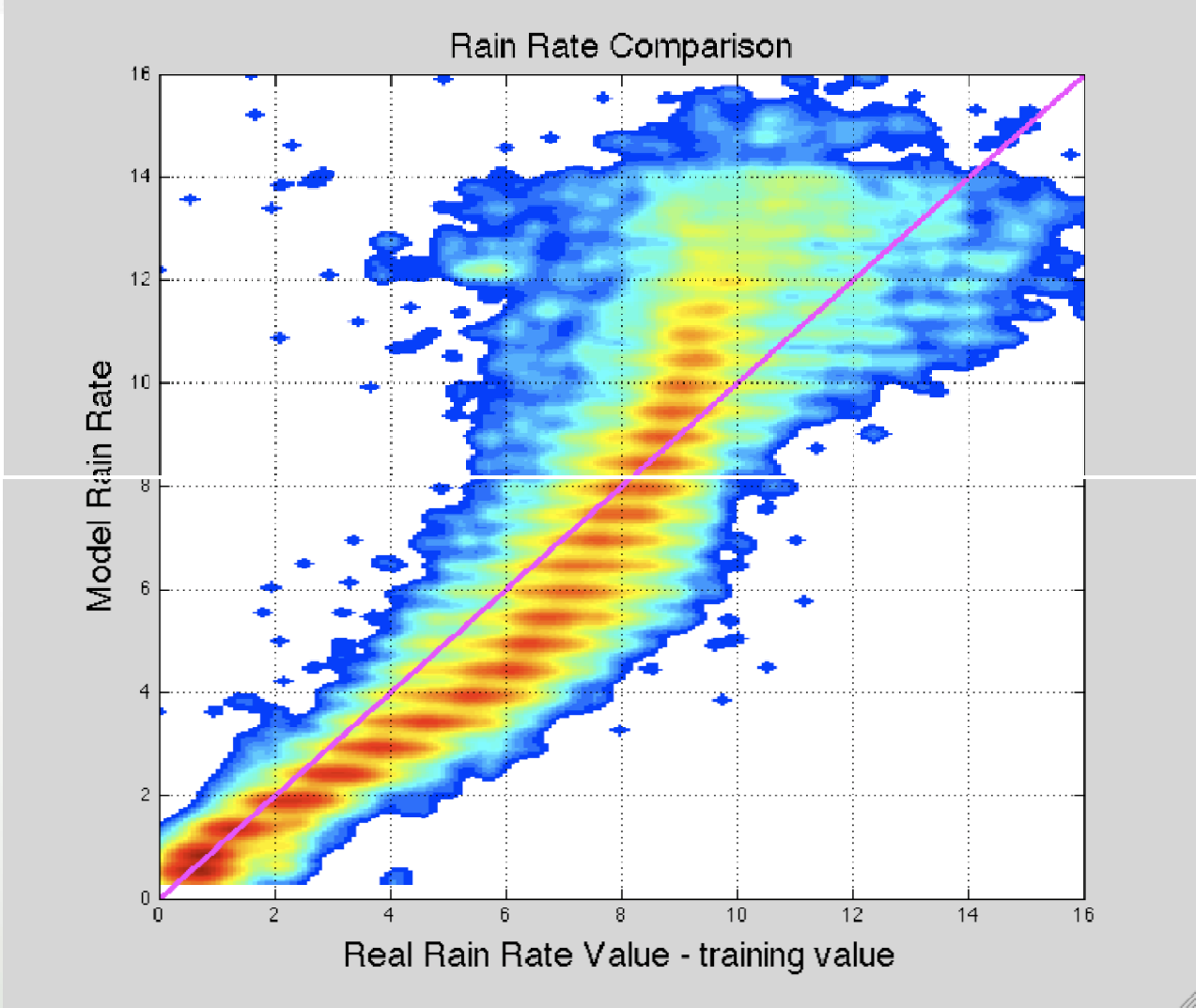
Water Vapor Comparison



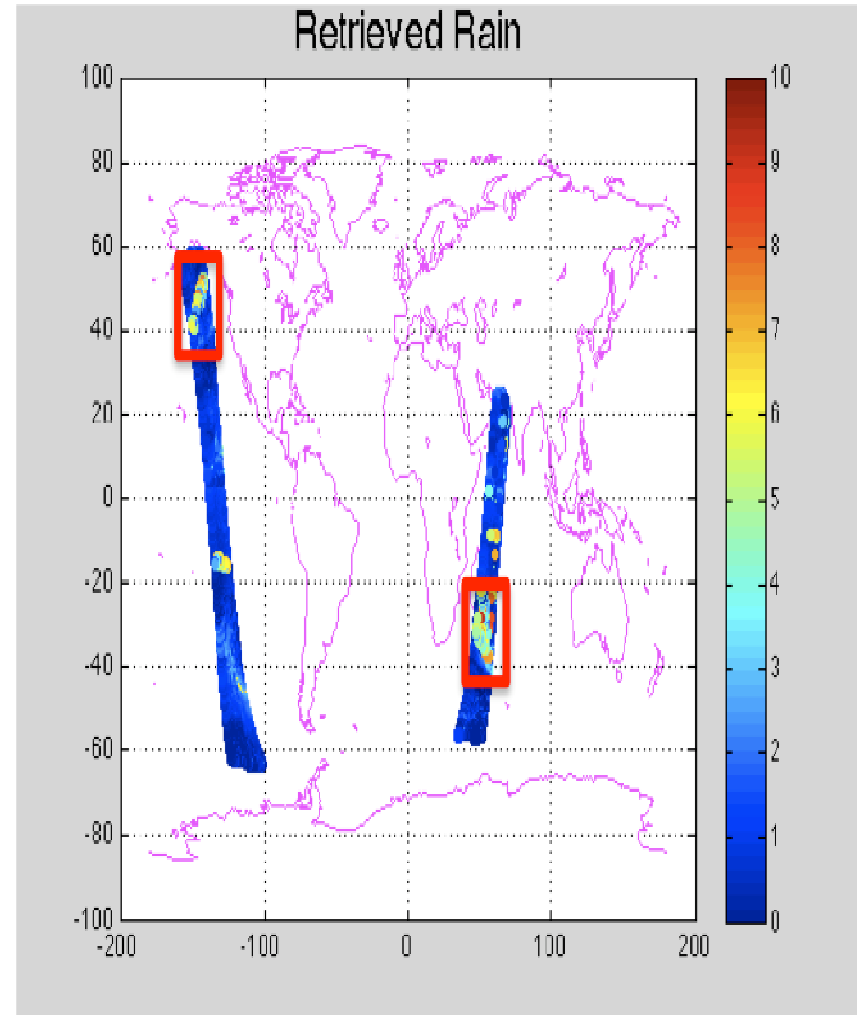
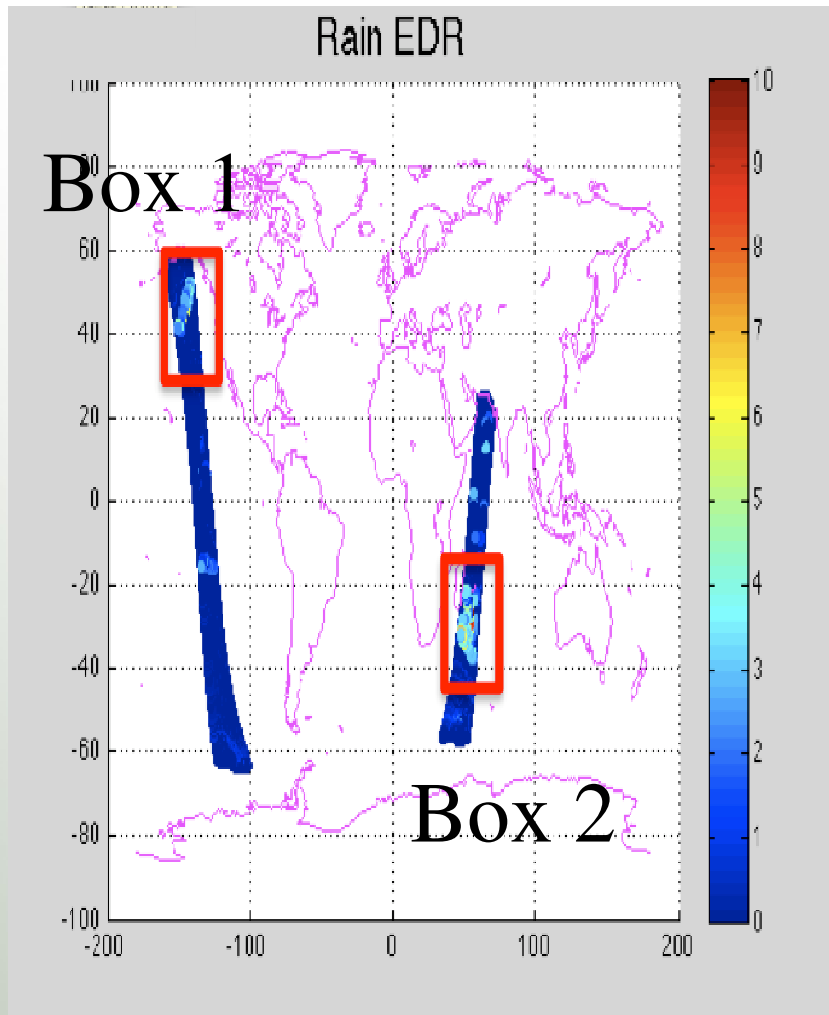
Wind Speed Comparison



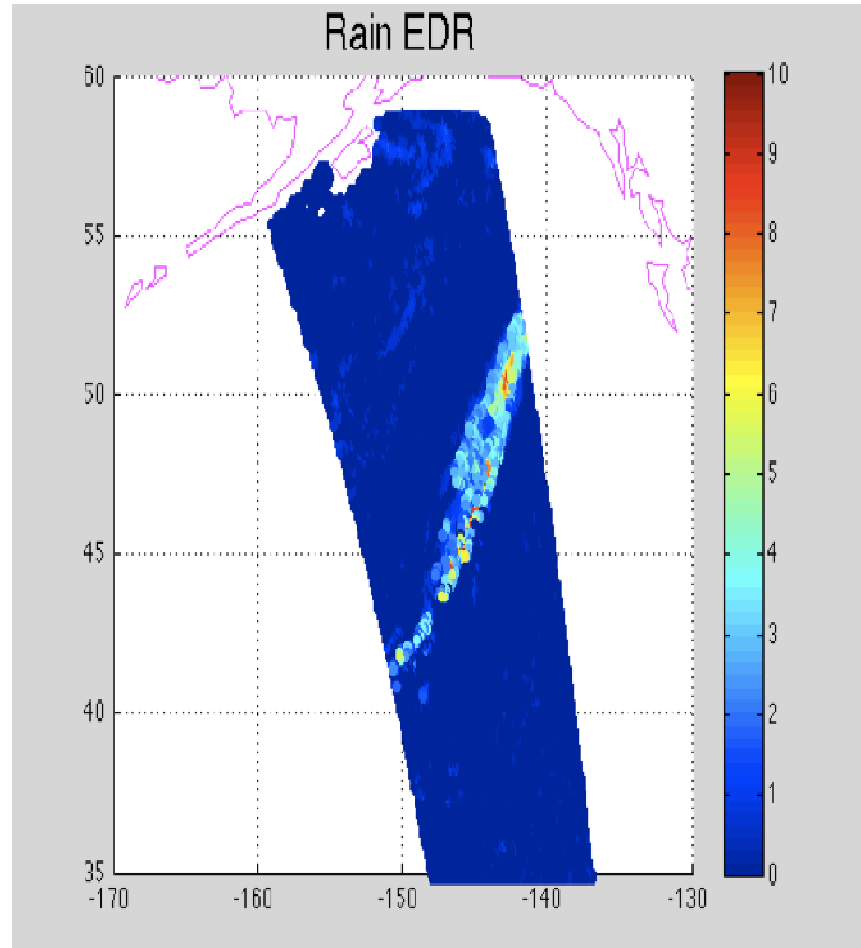
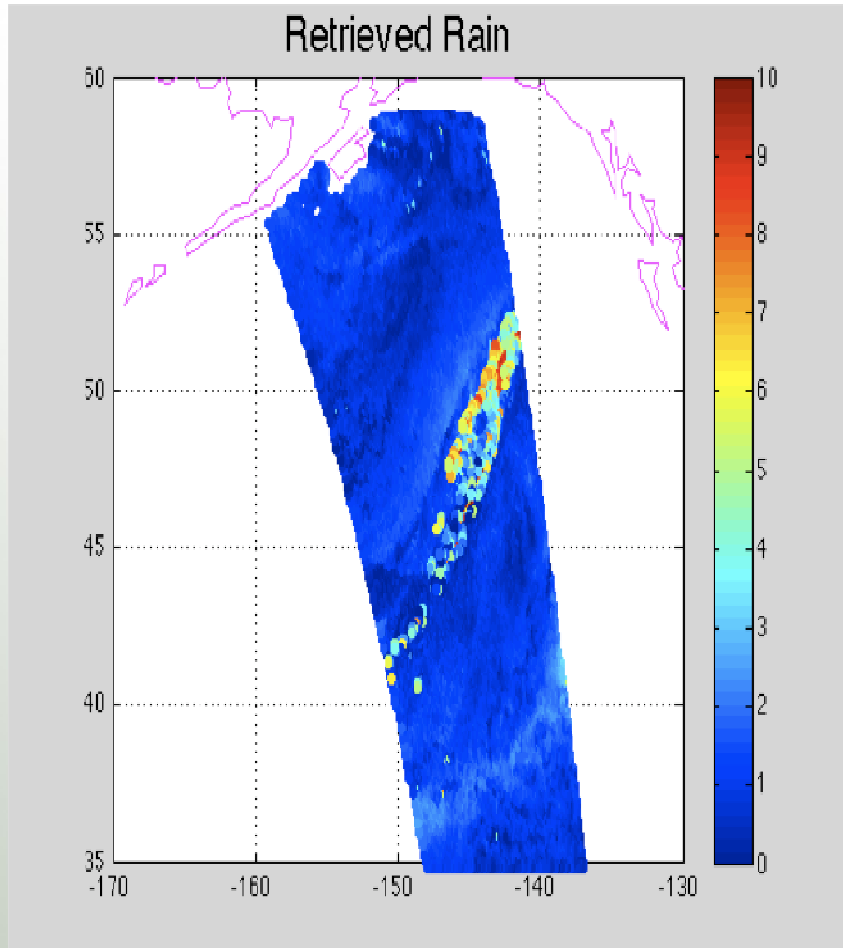
Rain Rate Comparison



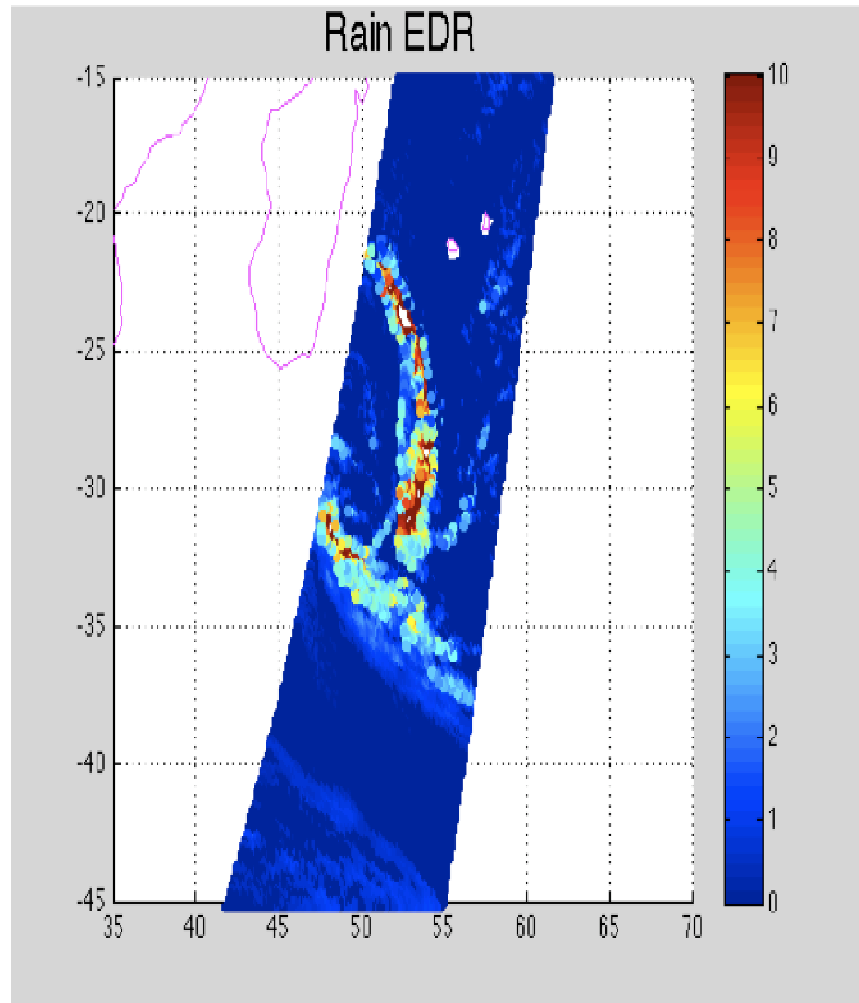
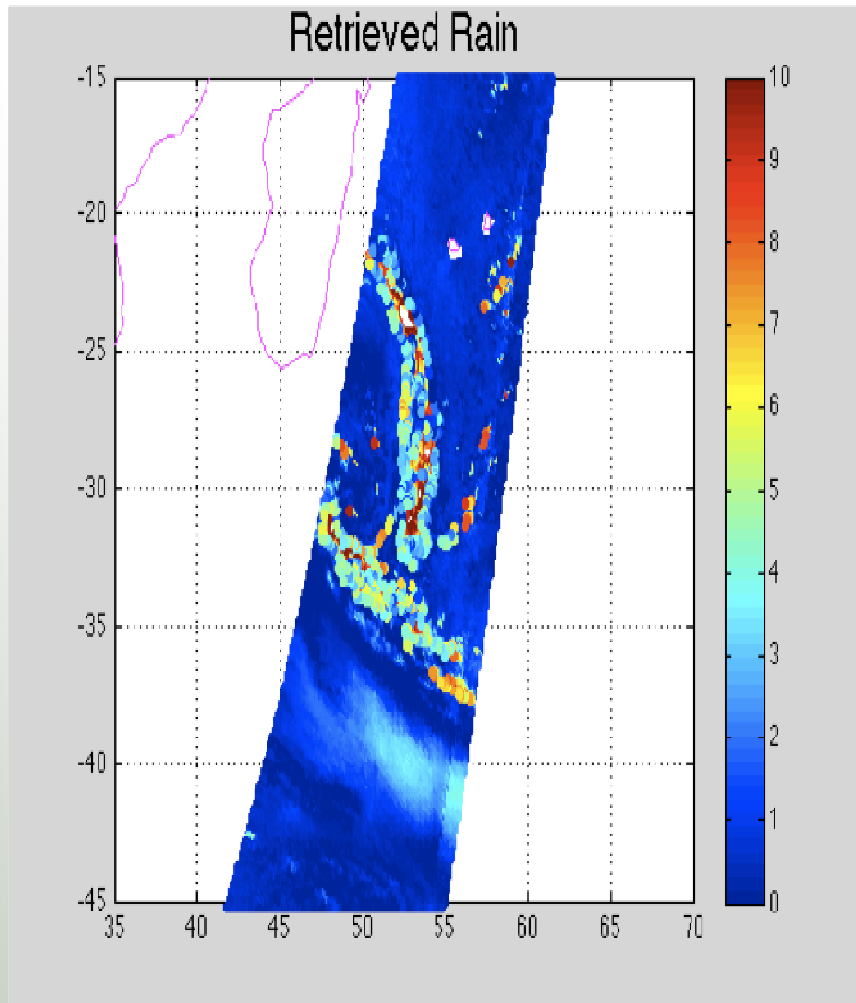
Rain Rate Image



Rain Rate Comparison - Box 1



Rain Rate Comparison - Box 2





Conclusion



- A semi-empirical rain rate retrieval algorithm has been developed for the WindSat satellite radiometer
 - ❖ Algorithm implemented in MatLab
 - ❖ Capable of processing satellite data (faster than real time)
- Geophysical Retrievals
 - ❖ Water Vapor, Wind Speed, Atmos Transmissivity due to Liquid Water (24 GHz & 37 GHz), and Rain Rate
 - ❖ Performed rain rate validation using independent WindSat data set (~ 2 million pixels)

Future Work



- Investigate using GDAS water vapor and wind speed to retrieve atmos transmissivity (due to liquid water)
- Simulate MWR Tb measurements at spatial resolution: IFOV = 40 x 60 km
 - ❖ Retrieve atmos transmissivity @ 24 GHz & 37 GHz
 - ❖ Perform rain rate statistical regression
 - ❖ Validate rain rate retrieval error using WindSat EDR's
- Develop MWR Rain Retrieval Algorithm Theoretical Basis Document (ATBD)
 - ❖ Deliver to CONAE early Dec. 2010